



T.E. (Computer) (2003 Course) (Semester – I) Examination, 2009
DIGITAL SIGNAL PROCESSING

Time : 3 Hours

Max. Marks : 100

Instructions : 1) Answers to the **two** Sections should be written in **separate** books.

2) Neat diagrams must be drawn **wherever** necessary.

3) Use of logarithmic tables, slide rule, Mollier charts, electronic pocket calculator and steam tables is **allowed**.

4) Assume suitable data, if **necessary**.

5) Attempt **Q. 1 or Q. 2, Q. 3 or Q. 4, Q. 5 or Q. 6** from **Section I**.

6) **Q. 7 or Q. 8, Q. 9 or Q. 10, Q. 11 or Q. 12** from **Section II**.

SECTION – I

1. a) Define a DT system. How its properties can be described by means of impulse response $h(n)$? 6

b) With example explain the time scaling and time reversal operations performed on a DT signal. 6

c) Which operations are performed on DT signals in linear convolution ? Obtain the computational complexity of linear convolution. 6

OR

2. a) What is aliasing ? Show that all the frequencies $F_k = F_0 + K.F_s$, $K = \pm 1, \pm 2, \dots$ are the aliases of frequency F_0 . 6

b) Express the general form of N^{th} order general difference equation. How it could be expressed for FIR and IIR system ? 6

c) Define :

1) Quantisation

2) Recursive system

3) Dynamic system

4) Sampling 6



3. a) Using Z-transform properties obtain ZT of $x(n) = (n + 1) u(-n)$ specify ROC. 8
 b) State and prove the time shifting property of Fourier transform. Apply it for $x(n) = \delta(n - 2)$. 8

OR

4. a) Obtain inverse ZT using residue method for a causal sequence having

$$X(z) = \frac{3z^2 - z}{2(z-1)^3} \quad 8$$

- b) Obtain the Fourier transform of a DT sequence $x(n) = (a)^n u(n)$, $|a| < 1$.

Explain how to plot the magnitude spectrum. 8

5. a) Define system function $H(z)$. How it is obtained from the general difference equation ? How it describes the properties of DT system ? 8

- b) Solve the difference equation using ZT and obtain the step response,
 $\rightarrow y(n) - x(n) + 2y(n-1) = 0$. 8

OR

6. a) A causal DT system described by means of a pole zero plot has one zero $Z_1 = 1$ and one pole $P_1 = 0$ obtain the difference equation of the system. Obtain frequency response using simple geometric construction. 8

- b) Determine the closed form expression of a n^{th} term of Fibonacci sequence by solving difference equation. 8

(diff.equation : $y(n) = y(n-1) + y(n-2)$) 8

SECTION – II

7. a) Compare DIF FFT algorithm with DJT FFT algorithm. Draw basic butterfly structure for both. 8

- b) How circular shifting is different than linear time shifting ? Compute six point circular convolution of the following sequences :

$$x_1(n) = \{1, 1, 1, 1\} \quad 10$$

$$x_2(n) = \sin\left(\frac{3\pi n}{8}\right), 0 < n \leq 5$$

OR



8. a) Define twiddle factor. Compute it for $N = 4$. Express DFT and IDFT using twiddle factor. Discuss its properties. 8
- b) How linear convolution can be obtain using circular convolution ? Obtain 4 point DFT using Goertzel algorithm for $x(n) = \{0.5, 0.5\}$. 10
9. a) Define a DT filter. What are the characteristics of ideal filter ? Compare between FIR and IIR filter. 8
- b) Design IIR filter using BLT method with given specifications $H(s) = \frac{s}{s+1}$, $F_c = 200 \text{ Hz}$, $F_s = 2k \text{ Hz}$. Use frequency prewarping. 8
- OR
10. a) What do you mean by linear phase response ? Show that the FIR filter described as $y(n) = x(n) - x(n-1)$ has linear phase response. 8
- b) Compare between Hamming and Hanning window. Write down the design steps of FIR filter using window. 8
11. a) State the 4 types of GLPS (generalised linear phase system). Draw the linear phase FIR filter structure for $M = 7$ (order 6). Specify the no. of hardware elements required. 10
- b) Realize direct form II IIR filter structure for $y(n) = 2x(n) - x(n-1) + 2y(n-1)$. 6
- OR
12. a) Describe FIR filter by means of $H(z)$ with example. Explain cascade form of FIR filter structure. 8
- b) List the different types of internal buses and memory pointer registers present in ADSP 2105 processor. What is MAC ? 8
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