

T.E. (Computer) Semester - I Examination, 2010 DIGITAL SIGNAL PROCESSING (2003 Course)

Time: 3 Hours Max. Marks: 100

> Instructions: 1) Answers to the two Sections should be written in separate books. 2) Neat diagrams must be drawn wherever necessary. 3) Assume suitable data, if necessary. 4) Attempt Q.1 or Q.2, Q.3 or Q.4, Q.5 or Q.6 from Section - I and Q.7 or Q.8, Q.9 or Q.10, Q.11 or Q.12 from Section - II. SECTION - I

1. A) Explain the ADC process as sampling, quantization and coding. 10 B) What is the importance of linear convolution in D.S.P.? Define unit impulse signal and represent a D.T. Signal x (n) in terms of δ (n). OR 2. A) State the following properties with one example each: i) Time invariant system. ii) Stability. iii) Linearity. iv) Invertibility. 10 B) Define the following terms: i) Impulse response of a D.T. System. ii) Non-recursive system.

iii) Even signal.

iv) Natural response.

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- 3. A) Define R.O.C. of Z Transform. State its properties. Derive the relationship between Z Transform and F Transform.
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B) Obtain inverse Z transform using P.F.E. method for a causal sequence where,

$$X(z) = \frac{z^{3}}{(z-2)(z-1)^{2}}.$$
OR

- 4. A) State and prove the convolution property of F transform.
- B) State the necessary conditions for the existence of F.T. Obtain F.T. of D.T. signal $x(n) = -a^n u(-n-1)$.
- A) Describe the behaviour of causal D.T. signal by means of pole-zero plot w.r.t. position of poles.
 - B) Solve the difference equation using Z transform, and obtain the impulse response h (n).

$$y(n) = x(n) + \frac{3}{4}y(n-1) - \frac{1}{8}y(n-2).$$
OR

6. A) Using simple geometric construction, obtain the frequency response for a system

$$y(n) = \frac{1}{2}[x(n) + x(n-1)].$$
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B) Define system function H (z). How it is described for F.I.R. and I.I.R. system?State causality and stability property w.r.t. H(z).

SECTION - II

- 7. A) Derive decimation in time (D.I.T.) F.F.T. algorithm for N-point D.F.T. upto 1st stage. Draw signal flow graph for N = 8.
 - B) State any 4 properties of D.F.T. Define circular shifting.

OR



8. A) Explain how D.F.T. can be used for linear filtering. How we can obtain linear convolution from N-point circular convolution? State the computational complexity of N-point circular convolution.

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B) Obtain 4-point D.F.T. using linear transformation matrix for $x(n) = \{0, 1, 2, 3\}$.

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9. A) State the characteristics of Ideal filter. What are the advantages and disadvantages of Digital filter over analog filter?

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B) Using Impulse invariance method design a D.T. filter with following specification:

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 $H(s) = \frac{1}{s^2 + 3s + 2}, F_s = 5 \text{ samples/s.}$

10. A) What is Gibbs phenomenon? How F.I.R. filter are designed using windowing method?

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B) State the Transformation Formula used in B.L.T. method for I.I.R. filter design. Obtain the relation showing the frequency warping effect and draw it graphically.

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11. A) Describe F.I.R. filter by means of system function H (z). Explain how it is realized for direct and cascade form.

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B) Obtain the linear phase F.I.R. filter structure for $h(n) = \{\frac{1}{2}, \frac{1}{2}, -\frac{1}{4}, \frac{1}{2}, 1\}$.

Draw the same and obtain its complexity.

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12. A) Realize Direct form - I for I.I.R. filter and obtain the difference equation of system:

 $H(z) = \frac{7z^2 - 5.25z + 1.375}{z^2 - 0.75z + 0.125}$.

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B) Draw the functional block diagram of A.D.S.P. 21XX D.S.P. processor and explain its various features.

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