Total No.	of	Questions	:	10]
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P4540 [4959] - 1048

B.E. (Mechanical)

FINITE ELEMENT ANALYSIS

(2012 Course) (Elective - IV(b))

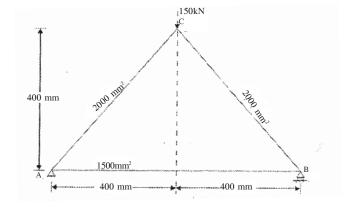
Time: 2½ Hours] [Max. Marks: 70

Instructions to the candidates :-

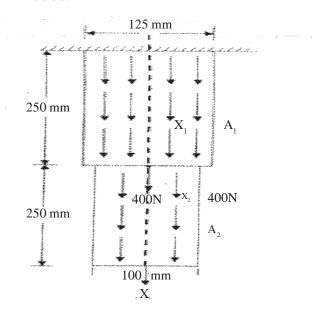
- 1) Draw suitable neat diagrams, wherever necessary.
- 2) Figures to the right indicate full marks.
- 3) Use of electronic pocket calculator is allowed.
- 4) Assume suitable data, if required.
- Q1) a) Write down the basic steps of FEA and list down methods adopted for Finite Element Formulations.[6]
 - b) Write a note on Plane Stress Formulations and explain its applications. [4]

OR

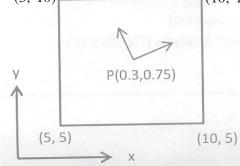
- Q2) a) Explain step by step procedure for Weighted Residual Method. [6]
 - b) Explain CST element. [4]
- Q3) Determine stresses and reaction forces in Truss structure shown below. Take E = 200GPa. [10]



Q4) a) The thin uniform thickness 20 mm is shown in figure. In addition to the self weight, the plate is subjected to point load of 400 N at mid-depth. The Youngs Modulus E = 200 GPa and unit weight $\rho = 0.8 \times 10^{-4}$ N/mm. Analyse the plate after modeling it with two elements and find deformations in nodes.



- b) What is meant by Pascal's Triangle and how it is used in decision of interpolation function in element formulations. [4]
- Q5) a) Explain what is Isoparametric formulations and what is meant by Iso,Super and Sub Parametric Formulation. [6]
 - b) Point P is located in rectangular element having natural coordinates (0.3,0.75) as shown in figure below, determine X and Y coordinates of point P. (5, 10) (10, 10) [6]



c) Explain step by step procedure of Gauss 2-point and 3-point Numerical integration method and how it is applied in isoparametric formulations? [6]

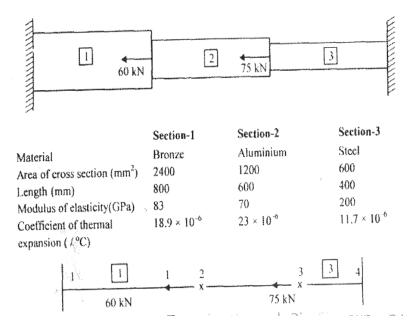
- Q6) a) Explain concept of rigid body modes and constant strain rates and how it is ensured in isoparametric formulations. Write down rules of isoparametric formulations.[8]
 - b) Determine integration of following function by using Gauss 2-point and 3-point method and compare with exact solution. [10]

$$\int_{5}^{10} \left(1 + x + x^{2} \right) dx$$

- **Q7**) a) Write down governing equation of steady state Heat Transfer and also write down elemental stiffness matrix and compare with Bar element.[6]
 - b) A metallic fin, with thermal conductivity 70 W/m °K, 1 cm radius and 5 cm long extends from a plane wall whose temperature is 140°C. Determine the temperature distribution along the fin if heat is transferred to ambient air at 20°C with heat transfer coefficient of 5 W/m² °K. Take two elements along the fin. [10]

OR

Q8) a) A composite bar of 3 different materials, rigidly fixed at both the ends, is subjected to a uniform temperature rise of 80°C. In addition, axial loads, are applied at two points on the bar as shown. Determine the displacements stress and support reactions. [10]



b) Write a note on Heat Transfer through Pin-Fin, explain with appropriate governing equations. [6]

- **Q9)** a) Write down a dynamic equation and explain each term. Convert this into a Eigen value problem and explain its significance. [6]
 - b) Consider the Three element model of fixed free bar as shown in figure undergoing axial vibrations. [10]

Let L = 1m. A =
$$30 \times 10^{-6}$$
 m², E = $2 \times 10^{-5} \frac{N}{mm^2}$, $\rho = 7800$ kg/m³, using lumped mass matrix determine natural frequencies of bar.

OR

- Q10)a) Write down cosistent and lumped mass matrices for following elements. [6]
 - i) Bar Element
 - ii) Plane Stress Element
 - iii) Triangular Element
 - b) Find the natural frequencies of longitudinal vibrations of the same stepped shaft of areas A and 2A and of equal lengths (L), when it is constrained at one end, as shown below. [10]

