

**SEPTEMBER 2017 / IN - SEM (T2)**  
**F. Y. B.TECH. (COMMON) (SEMESTER - I)**  
**COURSE NAME : Engineering Physics**  
**(2017 PATTERN)**

**Marking Scheme**

Q. No.	Question	Marks Distribution	Marks	Cognitive level	Difficulty level	CO
Q1	a) Starting from the expressions $E_F = E_{Fi} + kT \ln \left( \frac{N_D}{n_i} \right)$ and $E_F = E_{Fi} - kT \ln \left( \frac{N_A}{n_i} \right)$ , derive an expression for built-in (or barrier) potential $V_{bi}$ for a p-n junction diode.	$(E_{fi})_n - 2M, (E_{Fi})_p - 2M,$ $V_{bi} = (E_{fi})_n - (E_{Fi})_p - 2M$	[6]	Compre- hension	Medium	3
	b) Given density of states $g_c(E) = \frac{4}{\sqrt{\pi}} \left[ \frac{m_e^*}{2\pi\hbar^2} \right]^{3/2} (E - E_c)^{1/2}$ for $E \geq E_c$ , derive the expression for number of electrons in the conduction band $n = N_c e^{\frac{(E_F - E_c)}{kT}}$ where, $N_c = 2 \left[ \frac{m_e^* kT}{2\pi\hbar^2} \right]^{3/2}$	Setting up the integral - 1M Change of variable - 3M Getting final expression using Gamma integral - 2M	[6]	Compre- hension	High	3
	c) Calculate the probability of finding an electron 0.3 eV above the Fermi energy $E_F$ at $T = 450K$ . Given Boltzmann's constant $k = 8.6 \times 10^{-5}$ eV/K.	$f(E) = 1/(1 + \exp((E - E_F)/kT)) = 0.00043$	[4]	Application	Medium	3

**OR**

	a) Draw the Fermi-Dirac distribution function for temperatures $T = 0 K$ , $T_1$ and $T_2$ where $T_2 > T_1 > 0 K$ . Discuss the physical significance of the temperature dependence of Fermi-Dirac distribution function.	Drawing - 3M Physical significance - 3M	[6]	Compre- hension	Medium	3
	b) Starting from the expressions $n = N_c e^{\frac{(E_F - E_c)}{kT}}$ and $p = N_v e^{\frac{(E_v - E_F)}{kT}}$ , obtain an expression for Fermi energy in an intrinsic semiconductor and show that it lies at the centre of the forbidden band if $m_e^* = m_h^*$ . Given $N_c = 2 \left[ \frac{m_e^* kT}{2\pi\hbar^2} \right]^{3/2}$ and $N_v = 2 \left[ \frac{m_h^* kT}{2\pi\hbar^2} \right]^{3/2}$ .	Equating two equations - 1M Writing $\frac{N_v}{N_c} - 2M$ Inverting the equation - 1M Substituting $N_v$ and $N_c$ equations and getting in terms of $m_e^*$ and $m_h^*$ - 1M Obtaining final equating by using $m_e^* = m_h^*$ - 1M	[6]	Compre- hension	Medium	3

Received on  
26/10/17  
02:00 PM



		Using ideal diode equation, calculate the current for applied voltage $V_A = +0.5V$ at 300K. Given $k/e = 8.6 \times 10^{-5} \text{ eV/K}$ and $I_0 = 10^{-10} \text{ A}$ .	$i = I_0(\exp(eV/kT) + 1) = 0.0261 \text{ A}$	[4]	Application	Medium	3
Q3	a)	Starting from ideal diode equation, write the expressions for I-V characteristics for solar cell in dark and illuminated by light. Derive $I_{sc}$ and $V_{oc}$ from the equation for a solar cell. Draw the I-V characteristics curve for a solar cell and label it.	Solar cell eq in dark - 1M Solar cell eq in light - 1M $I_{sc}$ - 1M $V_{oc}$ - 1M Labeled I-V curve - 2M	[6]	Compre- hension	Medium	4
	b)	Draw schematically, (a) I-V characteristics for two solar cells connected in series and (b) I-V characteristics for three solar cells connected in parallel. Draw I-V characteristics for single solar cell in these graphs for reference.	(a) - 2M (b) - 2M	[4]	Compre- hension	Medium	4
	c)	The short circuit current for a solar cell is 8 A, and reverse saturation current is $2.5 \times 10^{-8} \text{ A}$ . Calculate $V_{oc}$ at 350K. Given, $k/q = 8.6 \times 10^{-5} \text{ eV/K}$ .	$kT = 0.0301$ $V_{oc} = kT/q(\ln(I_{sc}/I_0)) = 0.589V$	[4]	Application	Medium	4
OR							
Q4	a)	Discuss the merits and demerits of solar photovoltaic system.	3 Merits - 3 M 3 Demerits - 3M	[6]	Knowledge	Low	4
	b)	Discuss four parameters of a battery suitable for storing electrical energy generated by a solar photovoltaic system.	4 parameters - 4M	[4]	Compre- hension	Medium	4
	c)	12 solar cells are connected in series in a solar panel. Two such solar panels are connected in parallel in a solar array. Each solar cell has $V_{oc} = 0.59V$ and $I_{sc} = 3A$ . Calculate the $V_{oc}$ and $I_{sc}$ of the array.	$V_{oc} = 0.59V \times 12 = 7.08V$ - 2M $I_{sc} = 3A \times 2 = 6A$ - 2M	[4]	Application	Medium	4