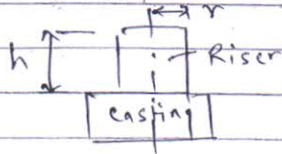


October 2018 (T1)

S.Y.B.Tech. (Mechanical Engg.) (Sem.-I) (Pattern 2017)

Course Name: Manufacturing Processes (MEUA21173)

Solution & Marking schemeQ.1(a) Top riser - r - radius of cylindrical riser h - height of -// - -// -SA - surface area = $2\pi r h + \pi r^2$ V - volume = $\pi r^2 h \therefore h = \frac{V}{\pi r^2}$

$$SA = 2\pi r \left(\frac{V}{\pi r^2} \right) + \pi r^2 = \frac{2V}{r} + \pi r^2 \quad (1 \text{ mark})$$

For efficient working, the area of riser should be min.

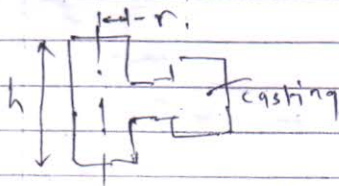
$$\text{Hence } \frac{d(SA)}{dr} = 0 \text{ gives } \frac{d}{dr} \left(\frac{2V}{r} + \pi r^2 \right) = 0$$

$$-\frac{2V}{r^2} + 2\pi r = 0 \therefore \frac{2V}{r^2} = 2\pi r \text{ or } V = \pi r^3 \quad (1 \text{ mark})$$

However $V = \pi r^2 h$, Equating $\pi r^3 = \pi r^2 h$

$$\text{gives } r = h \text{ or } \boxed{h = d/2} \quad (1 \text{ mark})$$

Side riser



$$SA = 2\pi r h + 2\pi r^2 \quad (1 \text{ mark})$$

$$V = \pi r^2 h \therefore h = \frac{V}{\pi r^2}$$

$$SA = 2\pi r \cdot \frac{V}{\pi r^2} + 2\pi r^2$$

$$SA = \frac{2V}{r} + 2\pi r^2$$

$$\frac{d(SA)}{dr} = 0 \text{ gives } -\frac{2V}{r^2} + 4\pi r = 0 \therefore \frac{2V}{r^2} = 4\pi r$$

$$V = \pi r^2 h \text{ Equating } V = \pi r^2 h = 2\pi r^3 \quad (1 \text{ mark})$$

$$\text{gives } r = h/2 \text{ or } \boxed{d = h} \quad (1 \text{ mark})$$

Q.1 (b) Sketch of Hot chamber die casting - (4 marks)
Limitations of the process (Any three) - (2 marks)

Q.1 (c) wood being used as pattern material
Advantages (Any four) - (2 marks)
Limitations - (2 marks)

Q.2 (a) $T_{\text{cube}} = 170 \text{ sec} = C_m (V/A)^2$

Volume of cube = $50 \times 50 \times 50 = 125000$ (1 mark)

SA surface Area 'A' = $6 \times (50 \times 50) = 15000$ (1 mark)

$170 = C_m \left(\frac{50 \times 50 \times 50}{6 \times (50 \times 50)} \right)^2 \therefore C_m = \underline{2.448}$ (1 mark)

$T_{\text{cylinder}} = C_m \left(\frac{V}{A} \right)^2$

Volume of cylinder = $\pi r^2 h = \pi (25)^2 \times 50 = 98125$ (1)

Surface area of cylinder = $2\pi r h + 2\pi r^2$
 $= 2\pi [(25 \times 50) + 25^2] = 11775$ (1 mark)

$\therefore T_{\text{cylinder}} = 2.448 \left(\frac{98125}{11775} \right)^2 = \underline{170 \text{ sec.}}$ (1 mark)

Q.2 (b) ~~Explain~~ ^{Three} ~~Four~~ Explain ~~Four~~ defects - each carries ~~1.5~~ ² marks
(~~2~~ ³ ~~3~~ ² defects) = 6 marks

Q.2 (c) Sketch of permeability test (3 marks)
Explain - " - (2 marks)

Q.3 (a) If σ_d is yield strength, total deformation in the wire takes place (1 mark)

In ideal case $\sigma_d = \bar{\gamma}_f$ (Neglecting friction) (1 mark)

$$\sigma_d = \bar{\gamma}_f \ln(A_0/A_f) =$$

However, if $\sigma_d = \bar{\gamma}_f$ in ideal condition, substituting,

$$\bar{\gamma}_f = \bar{\gamma}_f \ln(A_0/A_f) \therefore \ln\left(\frac{A_0}{A_f}\right) = 1 \quad (1 \text{ mark})$$

$$\text{i.e. } \frac{A_0}{A_f} = e = 2.7183 \quad (1 \text{ mark})$$

$\therefore$ the maximum possible reduction is

$$r_{\max} = \frac{A_0 - A_f}{A_0} = \frac{A_0/A_f - 1}{A_0/A_f} = \frac{e - 1}{e} \quad (1)$$

$$\therefore r_{\max} = \frac{2.7183 - 1}{2.7183} = 0.632 = 63.2\% \quad (1)$$

Theoretical max. reduction possible in a single draw is 63.2%.

(b) $D_0 = 45 \text{ mm}$, $h_0 = 88 \text{ mm}$, $h = 66$ (25% of 88) mm.

$$\mu = 0.15, K = 425 \text{ MPa}, n = 0.15.$$

$$\epsilon = \ln \frac{h_0}{h} = \ln \frac{88}{66} = 0.2876 \quad (1 \text{ mark})$$

$$\bar{\gamma}_f = K \cdot \epsilon^n = 425 (0.2876)^{0.15} = 352.53 \text{ MPa} \quad (1 \text{ mark})$$

Find 'd', equating volume before and after remaining same $\rightarrow$

$$\frac{\pi}{4} (45)^2 \times 88 = \frac{\pi}{4} d^2 (66) \therefore d = \underline{51.96 \text{ mm}} \quad (1 \text{ mark})$$

$$K_f = \text{shape factor} = 1 + \frac{0.4 \mu d}{h}$$

$$K_f = 1 + \frac{0.4 \times 0.15 \times 51.96}{66} = 1.0472 \quad (1 \text{ mark})$$

$$F = \gamma_f \cdot k_f \cdot \gamma_f \cdot A$$

$$F = 110472 \times 352.53 \times \frac{\pi}{4} (51.98)^2$$

$$F = 782453.06 \text{ N}$$

$$\text{or } F = 782.453 \text{ kN. (1 mark)}$$

c). obtain relation

$$\text{contact length 'L'} = \sqrt{R \cdot d} ; \text{ or } \sqrt{R(t_o - t_f)} \quad (2 \text{ marks})$$

$$\text{max. defl 'd'} = u^2 R \quad (2 \text{ marks})$$

$$\text{ex. 4, (a)} \quad m = 240 \text{ mm}, t_o = 18 \text{ mm}, t_f = 14 \text{ mm}, R = 240 \text{ mm}$$

$$N = 125 \text{ rpm}$$

$$h = \sqrt{R \cdot d} \quad ; \quad d = t_o - t_f = 18 - 14 = 4 \text{ mm}$$

$$h = \sqrt{240 \times 4} = 30.18 \text{ mm.} \quad (1 \text{ mark})$$

$$\gamma_{\text{avg}} = \frac{78.44 + 242.35}{2} = 160.395 \text{ MPa} \quad (1 \text{ mark})$$

$$F = \gamma_{\text{avg}} \times 240 \times 30.18 = 1192.56 \times 10^3 \text{ N.} \quad (1 \text{ mark})$$

$$\text{Torque/rot} = 0.5 F L = 1192.56 \times 10^3 \times 0.5 \times \frac{30.18}{1000}$$

$$T = 18472.75 \text{ Nmm} \quad (1 \text{ mark})$$

$$P = \frac{2 \pi F N L}{60 \times 1000} = \frac{2 \pi \times 1192.56 \times 10^3 \times 125 \times \frac{30.18}{1000}}{60 \times 1000}$$

$$P = 483.37 \times 10^3 \text{ watt}$$

$$P = 483.37 \text{ kW} \quad (2 \text{ marks})$$

(b) ~~Two~~ Two defects with schematic (2x2=4 marks)

cg. Two points of difference with sketch (2x2 marks)