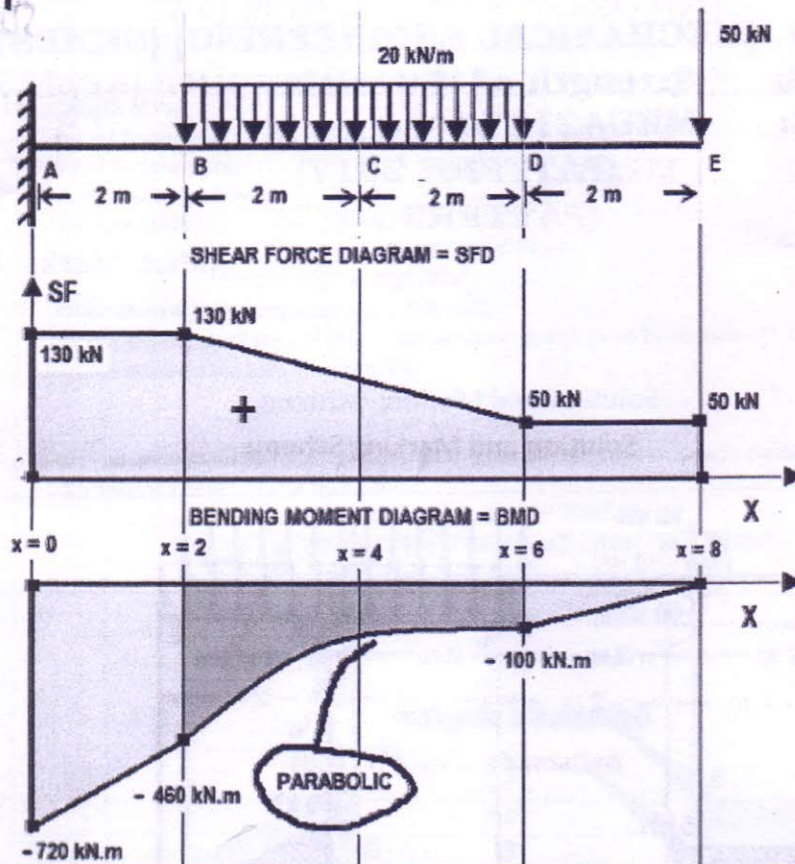


b.

06



c

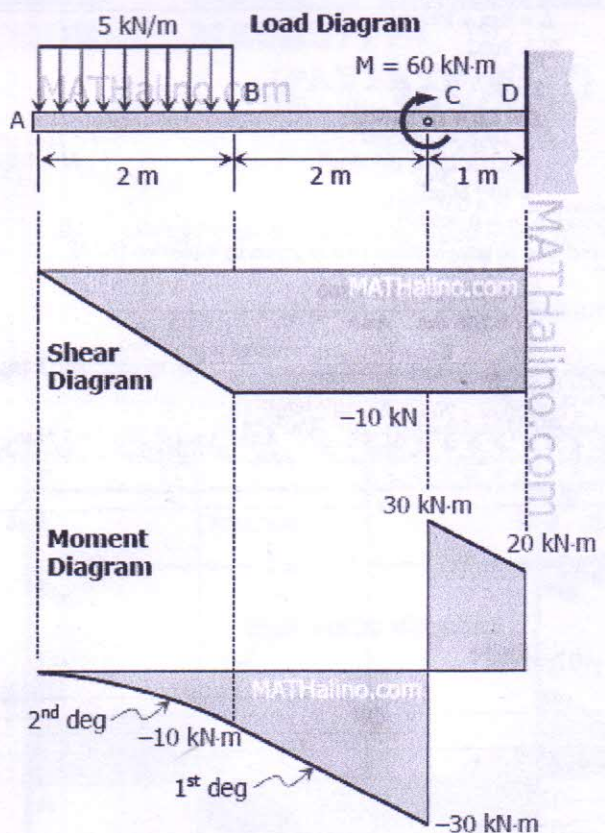
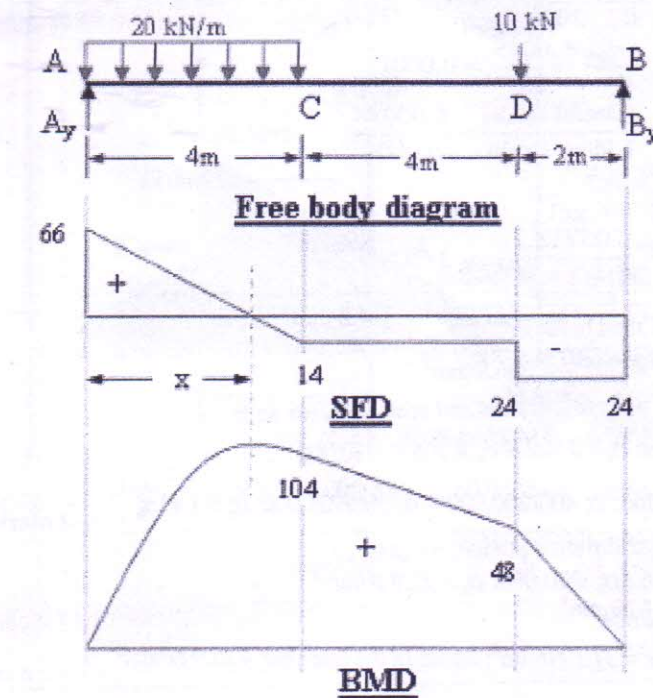
Application- 2 marks, Load and its variation 2 marks

04

SF and BM diagram

	P	Constant	Linear
Load			
Shear			
Moment			

OR

Q2	(a)	 Load Diagram 5 kN/m M = 60 kN-m 2 m 2 m 1 m A B C D Shear Diagram -10 kN Moment Diagram 30 kN-m 20 kN-m -10 kN-m -30 kN-m 2nd deg 1st deg	
	b	 20 kN/m 10 kN A C D B A_y B_y 4m 4m 2m Free body diagram 66 + 14 SFD 24 24 104 + 48 BMD	06
	c	Explanation 2 marks SFD & BMD 2 Marks	04
Q3	a	Stress-Strain curve with all points-----03 marks Explanation of all points-----03 marks	06

	b	Length of rod, $L = 2 \text{ m} = 200 \text{ cm}$ Initial temperature, $T_1 = 10^\circ\text{C}$ Final temperature, $T_2 = 80^\circ\text{C}$ $\therefore$ Rise in temperature, $T = T_2 - T_1 = 80^\circ - 10^\circ = 70^\circ\text{C}$ Young's Modulus, $E = 1.0 \times 10^5 \text{ MN/m}^2$ $= 1.0 \times 10^5 \times 10^6 \text{ N/m}^2$ ($\because M = 10^6$) $= 10^{11} \text{ N/m}^2$ Co-efficient of linear expansion, $\alpha = 0.000012$ (i) The expansion of the rod due to temperature rise is given by equation (1.13). $\therefore$ Expansion of the rod $= \alpha \cdot T \cdot L$ $= 0.000012 \times 70 \times 200$ $= 0.168 \text{ cm. Ans.}$ (ii) The stress in the material of the rod if expansion is prevented is given by equation (1.15). $\therefore$ Thermal stress, $\sigma = \alpha \cdot T \cdot E$ $= 0.000012 \times 70 \times 1.0 \times 10^{11} \text{ N/m}^2$ $= 84 \times 10^6 \text{ N/m}^2 = 84 \text{ N/mm}^2. \text{ Ans. } (\because 10^6 \text{ N/m}^2 = 1 \text{ N/mm}^2)$	
	c	$\frac{\sigma_1}{\sigma_2} = 1$ -----02marks $\frac{\delta l_1}{\delta l_2} = 0.4347$ -----02marks	04
		OR	
Q4	a	i) Young's modulus-----02 marks ii) Factor of safety-----02 marks iii) Thermal stress-----02 marks	06
	b	Linear strain $= \frac{\Delta}{L} = \frac{0.12}{200} = 0.0006$ Lateral strain $= \frac{\Delta d}{d} = \frac{0.0045}{25} = 0.00018$ Poisson's ratio $= \frac{\text{Lateral strain}}{\text{Linear strain}} = \frac{0.00018}{0.0006}$ $\mu = 0.3$ -----02 marks $E = 3K(1 - 2\mu)$, we get $K = \frac{E}{3(1 - 2\mu)} = \frac{203718.3}{3(1 - 2 \times 0.3)} = 169 \text{ N/mm}^2$ -----02 marks	04
	c	Solution Area of steel bar $= \pi(20)^2/4 = 314.2 \text{ mm}^2$ Area of brass bar $= \pi(30)^2/4 = 706.8 \text{ mm}^2$ From the free body diagrams of steel and brass bars, we write Equilibrium condition: $\sigma_s \times 314.2 + \sigma_b \times 706.8 = 30,000$ Compatibility condition: $\sigma_s \cdot 400/200,000 = \sigma_b \cdot 300/105,000$; $\sigma_s = 1.43\sigma_b$ -----2 marks Substituting in the equilibrium equation, we get $1.43\sigma_b \times 314.2 + 706.8\sigma_b = 30,000$; $\sigma_b = 25.9 \text{ N/mm}^2$ $\sigma_s = 1.43\sigma_b = 37.1 \text{ N/mm}^2$ Stress in the steel bar $= 37.1 \text{ N/mm}^2$; Stress in the brass bar $= 25.9 \text{ N/mm}^2$ -----2 marks	04